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Thermodynamics of Ternary Nitride Formation by Ammonolysis: Application to LiMoN₂, Na₃WN₃ and Na₃WO₃N

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Abstract

An approximate method for predicting the feasibility of synthesis of ternary nitrides from appropriate oxides and ammonia gas is outlined. The known thermodynamic data for binary oxides and nitrides may be a helpful guide in predicting the formation of ternary nitrides by ammonolysis of ternary oxides. When the difference between the free energy of formation of the ternaries from the binary oxides ($\Delta G_i^D(O)$) and binary nitrides ($\Delta G_i^D(N)$) is small, the predictions are expected to be reliable. Such considerations suggest that ternary oxides containing the most electropositive metals (alkaline, alkaline earth, rare earth) will not form ternary nitrides by ammonolysis, but perhaps will form oxynitrides or decompose to the electropositive metal oxide/hydroxide and binary transition metal nitride. When the metals in the ternary oxide are from group V or greater, ternary nitride formation by reaction with ammonia is likely.

We have developed a new high temperature calorimetric procedure for determining the standard enthalpies of formation of ternary nitrides and applied it to: LiMoN2, Na3WN3 and Na3WO3N. The standard enthalpies of formation: Δ Hf° (LiMoN2) = -386.0 \pm 6.4 kJ/mol, Δ Hf° (Na3WN3) = -358.7 \pm 53.3 kJ/mol and Δ Hf° (Na3WO3N) = -1358.8 \pm 18.2 kJ/mol were obtained.

Introduction

In recent years, many new and interesting ternary nitrides have been discovered.¹⁻²⁶ We have been developing novel synthetic strategies using precursors in the synthesis of new ternary nitrides. The advantage of using precursors to synthesize solid state materials is the possibility of using much lower temperatures for synthesis. This results because the desired elements are already mixed at the atomic level making diffusion lengths short. Low temperature synthesis may also lead to new compounds not realized using high temperature methods, if such compounds are unstable at high temperatures.

Specifically, we have investigated the practicality of the ammonolysis of ternary oxides (and to a lesser extent chlorides) to prepare new ternary nitrides. Recently reported LiMoN2¹ and FeWN2²⁶ are the only known ternary nitrides to be prepared from the ammonolysis of ternary oxides. We have developed a predictive scheme for these ammonolysis reactions using thermodynamic considerations.

High temperature reaction calorimetry has been very useful in understanding ternary oxide formation.²⁷ For the first time we have applied this methodology to ternary nitrides. The strategy is to devise a thermodynamic cycle involving rapid oxidation of a nitride or oxynitride to a well defined solid or molten oxide. The enthalpies of formation of LiMoN2, Na3WN3 and Na3WO3N have been measured.



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Thermodynamic Calculations to Predict the Feasibility of Nitride Synthesis

Oxide Precursors

Ternary solid state compounds, as well as ionic salts and coordination compounds, are potential precursors to binary and ternary nitrides. For a number of these potential precursors, especially for oxides and chlorides, sufficient thermodynamic data are available to make some reasoned judgments about their suitability as precursors. The standard free energies of formation of oxides (per mole of transition metal) are generally more negative than those of nitrides, making nitrides usually unstable, or at best kinetically stable, under ambient conditions and thus very rare in nature. This fact alone would seem to prohibit the conversion of oxides to nitrides. However, by choosing appropriate oxides, nitrogen sources and reaction conditions, some nitrides can be made from oxides. For example, we have experimentally confirmed literature reports that Nb₂O₅, Ta₂O₅, MoO₃ and WO₃ can be reacted in flowing ammonia gas at 973 - 1123 K to produce NbN, Ta₃N₅, Mo₂N and W₂N, respectively.^{28,29} When we discovered that LiMoN2 could be synthesized from Li2MoO4 and ammonia gas at 983 K,1 we entertained the idea of reacting other ternary oxides in the same manner. After several unsuccessful attempts and realizing the variety and large number of ternary oxides available, we sought a semi-quantitative way of predicting the outcome of these types of reactions.

Theory

The main driving force for the reaction of NH₃ with oxides is the production of water and to a lesser extent the free energies of formation of the binary or ternary phases. The general ammonolysis reaction can be written as:

$$MO_x + 2/3x NH_3 \rightarrow MN_y + xH_2O + (x/3 - y/2) N_2$$
 (1)

Because nitrides frequently contain the metals in a lower formal oxidation state than oxides, this reaction admits the possibility of reduction of M, and thus the production of nitrogen gas. In order to better predict which ternary oxides might be suitable precursors for ternary nitrides, thermodynamic data for the reactions of binary oxides with ammonia gas are a guide. Figure 1 depicts the free energy

Fig 1

cycle that can be used to predict which ammonolysis reactions are plausible. If $\Delta G_f^b(O)$ and $\Delta G_f^b(N)$ (defined in fig. 1) are similar, then ΔG_T and ΔG_B (defined in fig. 1) will be nearly equal and one can "predict" which ternaries will form by ammonolysis of oxides based on thermodynamic data for the binary oxides alone. Published thermodynamic data allow the calculation of $\Delta G_f^b(O)$ and $\Delta G_B^{-30,31}$ However, essentially no data exist for $\Delta G_f^b(N)$. Since transition metal oxides exist for a variety of oxidation states, $\Delta G_f^b(O)$ can generally be constructed from reactions in which the oxygen content is fixed by the binary

composition. This is not the case for nitrides, so $\Delta G_f^b(N)$ may include a redox reaction when nitrogen or ammonia is present.

The reactions of binary oxides to form ternaries may be split into two groups, those with "small" $\Delta G_f^b(O)$ (< 40 kJ/mol) and "large" $\Delta G_f^b(O)$ (> 40 kJ/mol) in magnitude. The formation of FeWO4 from the binary oxides (eq. 2) is a representative of small $\Delta G_f^b(O)$.

$$FeO + WO_3 \longrightarrow FeWO_4 \tag{2}$$

 $\Delta G_f^b(O)$ is -37.2 kJ/mol compared to the standard free energy of formation from the elements (ΔG_f^o) of -1054 kJ/mol.

 $\Delta G_f^b(O)$ is large when the reactants have a high degree of acid/base character. For example, $\Delta G_f^b(O)$ for Li₂MoO₄ (eq. 3) and Na₂WO₄ (eq. 4) are relatively large (-180.0 and -290.0 kJ/mol, respectively)

Li₂O (base) + MoO₃ (acid)
$$\rightarrow$$
 Li₂MoO₄ (3)

Na₂O (base) + WO₃ (acid)
$$\rightarrow$$
 Na₂WO₄ (4)

when compared to their standard free energies of formation from the elements (-1410 and -1435 kJ/mol, respectively), or to $\Delta G_f^b(O)$ for FeWO4. It is expected that similar considerations of acid/base character influence $\Delta G_f^b(N)$. However,

no data exist that allow comparison of the magnitude of this effect in nitrides with that in oxides. It is even more difficult to estimate the effect of redox reactions on $\Delta G_f^b(N)$, except that a large contribution is expected from the entropy of the nitrogen or ammonia gas that is consumed or evolved. In any case, if we start with the assumption that $\Delta G_f^b(O)$ and $\Delta G_f^b(N)$ are similar, then we can "predict" which ΔG_T are favorable for the synthesis of nitrides by the ammonolysis of oxides. As thermodynamic data for ternary nitrides become available, the validity of this assumption can be examined.

Thermodynamic data for most binary oxides and nitrides at 298 K are readily found in the literature.^{30,31} However, the same cannot be said for elevated temperatures (~1000 K) where the reactions of interest take place. These high temperature data can be estimated from simple thermodynamic relationships, starting with:

$$dG = VdP - SdT (5)$$

where G is the Gibbs free energy. At constant pressure:

$$dG = -SdT (6)$$

Consider reactions of the type:

$$metal(s) + nO_2(g) \text{ or } nN_2(g) \longrightarrow metal \text{ oxide(s) or nitride(s)}$$
 (7)

The entropy change is:

$$\Delta S_{rxn} = S_{prod} - S_{react}$$
 (8)

Since the entropy of a gas is higher than that of solids and the entropy of the product and reactant solids partly cancel, we approximate $(d\Delta S_{rxn}/dT)_{solids} \sim 0$. The entropy of most gases increase only slightly, ~20%, between 298 and 1000 K (see data for N₂ and O₂ in Table I), then

$$\Delta S_{rxn} = -nS_{gas} \tag{9}$$

where S_{gas} is the average molar entropy of the reactant gas between 298 K and the temperature of interest. Hence, equation 6 reduces to:

$$\Delta G_{rxn}(T) - \Delta G^{\circ}_{rxn}(298 \text{ K}) = n\Delta T S_{gas}$$
 (10)

In this approximation, the difference in free energy of these reactions in the standard state (298 K) and a higher temperature (T) is due entirely to the entropy of the gas. The calculated changes obtained from equation 10 are usually within 5 - 10% of that experimentally found (when the data is available) indicating that the assumptions are reasonable.

Tables I and II list experimentally determined thermodynamic data for some selected liquids, gases and solids of interest.

Tables I & II

Once the high temperature thermodynamic values for the oxide and nitride binaries are known or estimated, then general ammonolysis reactions (eq. 1) can be considered. Table III lists these reactions along with their

Table III

calculated free energy changes. It is apparent that many binary oxides are suitable precursors for binary nitrides except those of the electropositive metals: the alkali, alkaline earth, and rare earth metals, as well as Zr, Hf and La.

Equation 10 was derived on the basis of a system at constant pressure (strictly, constant fugacity of 1); in the ammonolysis reactions the ammonia (or nitrogen and hydrogen) are assumed to be at constant pressure, 1 atm.

However, the water being produced in the usual experimental apparatus is swept away by flowing ammonia gas and thus is at a fugacity well below 1 atm; this leads to a further modification of equation 10.

$$\mu H_2 O = \mu^{\circ} H_2 O + RT \ln(f H_2 O / f^{\circ} H_2 O)$$
 (11)

Assuming ideal gas behavior, the free energy of reaction is further lowered an amount:

$$\delta(\Delta Grxn(T)) = RT \ln(PH_2O) \tag{12}$$

where PH₂O is the partial pressure of the water produced. Unfortunately, measuring the pressure of the evolved water in such a flow reaction is difficult.

A lower limit to the water pressure is determined by the water in the ammonia source or from "outside" sources (quartz tube, O-ring seals etc.). The water content in the ammonia according to suppliers (Matheson 99.99% purity) is ~10 ppm. If the ammonia is dried with sodium and leaks in the system are small, an estimate of 10⁻⁶ atm for the water vapor pressure is reasonable.³² The last column in Table III lists the pressure of water needed to decrease a positive $\Delta G_{\text{rxn}}(T)$ to zero, as calculated from equation 12. We assume that if this calculated pressure is less than 10⁻⁶ atm, the reaction with NH₃ will not proceed. These estimates do not address any kinetic issues and therefore, experiments need to be performed to assess if useful rates of reaction occur at the reaction temperature of interest. A representative example of this water pressure effect is the ammonolysis of TiO₂. At 1000 K the $\Delta G_{rxn}(T)$ for the ammonolysis of TiO2 is +24.06 kJ/mol (table III). The water pressure required to make $\Delta G_{\text{rxn}}(T) = 0$ is 0.235 atm, easily obtainable in the reaction system we use. Indeed, TiN can be synthesized from the ammonolysis of TiO2 at 973 K in 12 h when particle sizes are small enough that kinetic factors do not significantly reduce the reaction rate. 33,34

Table III shows that oxides of the electropositive metals, sodium and potassium, are potential candidates to form amides (their nitrides are unknown). However, in these cases there is a competing reaction, the formation of hydroxides, which is more thermodynamically favorable unless the water pressure is quite low, as shown in table IV. Again kinetic considerations are not included here.

Table IV

Chloride and Sulfide Precursors

Although oxides are the largest class of extended structure precursors that can be used to form ternary or higher nitrides, other solid state compounds can also be considered. These include halides, chalcogenides or pnictides. Reaction with NH3 would produce the desired nitride and the appropriate hydrogen containing gas, such as HCl for chlorides or H2S for sulfides. However, a thermodynamic analysis similar to the one presented for oxides leads to similar conclusions; that is, if electropositive metals are present, ternary nitrides will not form. Instead, no reaction, or separate phases containing different anions, or a mixed anion phase results. For example, we reacted LiVS2 with NH3 gas at 973 K and found the binary products Li2S and VN by X-ray powder diffraction. Hydrogen sulfide is significantly less thermodynamically stable at a 1000 K (-50 kJ/mol) than water (table I), hence the driving force for the sulfide reactions is much less. Table V shows some thermodynamic data for reactions of chlorides

Table V

with NH3. Comparison with table III again shows that there is no thermodynamic advantage expected in the formation of nitrides from chloride precursors relative to oxide precursors. However, it is possible that there may be kinetic advantages.

In summary, the general expectation is that binary oxides may be used as precursors in the formation of binary nitrides by reaction with ammonia, if the cations are not too electropositive (ΔGB not too positive). If alkaline, alkaline

earth, rare earth, or group IV metals are present, it is unlikely that pure binary nitrides will be formed. These conclusions are strictly valid when $\Delta G_f^b(O) = \Delta G_f^b(N)$. If $\Delta G_f^b(N) < \Delta G_f^b(O)$, then ternary nitrides will result even if ΔG_B is moderately positive. On the other hand, if $\Delta G_f^b(N) > \Delta G_f^b(O)$, fewer ternary nitrides will result than initially predicted. When formation of a ternary nitride does <u>not</u> occur, one expects either no reaction, disproportionation into binary oxide and binary nitride or an oxynitride product. Examples of the latter include: BaTaO₂N,³⁵ Na₃WO₃N,³⁶ LnTaON₂ (where Ln = lanthanide),³⁷ and LaWO_{0.6}N_{2.4}.³⁸ In general, we do not expect ΔG_T to be very large.

Since there is no reliable method to predict the composition or structure of new phases, let alone their free energies of formation, only statements of probability of ternary nitride formation in a particular reaction scheme is possible. Once a particular ternary nitride is known to exist, the formation of that phase from suitable oxide precursors, or indeed from any potential precursor, can be experimentally addressed.

Reaction Calorimetry at High Temperature to Measure Enthalpies of Formation of Ternary Nitrides

LiMoN₂ is synthesized by the ammonolysis of Li₂MoO₄ at 973 K. Na₃WN₃ is synthesized from W₂N in a sodium amide flux under flowing ammonia gas or in an ammonothermal bomb reaction.^{8,9} The oxynitrides, Na₃MO₃N (M = Mo and W), are prepared from the ammonolysis of 1/2Na₂O·Na₂MO₄.³⁵ In this section we examine the thermodynamic properties of three compounds, as a

beginning in the experimental exploration of the stability of ternary nitrides relative to the respective elements, binary nitrides and ternary oxides.

Thermochemical Measurements

We have developed techniques to measure enthalpies of formation of oxidation resistant ternary nitrides (LiMoN₂)¹ and air sensitive ternary nitrides (Na₃WN₃)^{8,9} and oxynitrides (Na₃WO₃N).³⁶ These data will lend a better understanding of why LiMoN₂ is formed from the ammonolysis of Li₂MoO₄, even though our previous considerations do not predict this reaction to be likely (see ammonolysis reaction data in table III).

The general goal of these experiments was to find a chemical reaction involving the ternary nitride or oxynitride with oxygen gas, occurring rapidly (not more than an hour) at 973 - 1273 K in a high temperature calorimeter, which leads to well defined products. Then a thermochemical cycle linking that reaction, the enthalpy of which is measured, to other known enthalpies allows the calculation of the standard enthalpy of formation for the ternary nitride or oxynitride.

As far as we know, these experiments represent the first calorimetric studies of heats of formation of ternary nitrides. Although the general operation and calibration of high temperature calorimeters are well established, ²⁷ the approach of utilizing oxidation reactions of nitrides is new. The success or failure of such experiments, and their achievable accuracy, depends critically on establishing well defined chemical reactions for use in the thermochemical

cycles. The procedure and data reported here represents our first reasonably successful experiments, but we expect that further refinements will improve accuracy and make these methods more general.

Thermochemical measurements were made using a high temperature Tian-Calvet type twin microcalorimeter operating at 977 K.²⁷ Transposed temperature drop calorimetry was employed for the thermochemical study of the oxidation reactions. This means the sample was dropped from room temperature into the hot calorimeter, where it underwent reaction. Oxygen gas was flushed through the system at ~145 mL/hr to provide a driving force for oxidation and to remove nitrogen gas produced during oxidation in the calorimeter(note: oxygen consumed in the oxidation reaction is ~ 10 mL, depending on sample size). Before the start of the experiment, the calorimeter was allowed to reach thermal equilibrium until a stable signal (baseline) from the thermopiles was obtained.

The calorimeter was calibrated by the standard platinum drop method.

Small pieces of platinum of known weight and heat content were dropped into the calorimeter from room temperature to obtain a calibration factor relating the peak area to the enthalpy.

To measure enthalpy effects in the calorimeter with the highest possible accuracy, the following conditions must be met. 1) The oxidation of nitride or oxynitride must be complete on the time scale of the calorimetric experiment, 30-60 min. 2) The oxidation product must be either a well crystallized phase

assemblage (with no complication from polymorphism) or a homogeneous liquid. 3) The reaction must not be so violent as to splatter sample above the platinum and silica crucible. 4) Any gases produced must be expelled from the calorimeter in the flowing gas stream.

LiMoN2

The previously described conditions were met by oxidizing this material to a molten mixture of Li₂O and MoO₃ by the reaction

LiMoN₂ (s, 298 K) + 7/4O₂ (977 K)
$$\rightarrow$$
 (1/2Li₂O + MoO₃) (*l*, 977 K) + N₂ (977 K) (13)

Before performing measurements in the calorimeter, we first determined the conditions under which LiMoN₂ was most readily oxidized. A first set of experiments was performed in a simple tube furnace at 973 K under flowing oxygen gas. To our surprise, we found that <u>bulk</u> amounts (~0.25 g or more) of LiMoN₂ were not completely oxidized under these conditions after ~1/2 hr. Partial oxidation did occur during these reactions because some clear, colorless liquid was formed which, when cooled, proved to be Li₂MoO₄ and MoO₃ by X-ray powder diffraction. However, more than ~75% of the sample remained black in color indicating incomplete oxidation. This suggested that the molten lithium molybdate formed produced an oxygen gas diffusion barrier, drastically reducing the oxidation rate. From these findings it seemed that a <u>small</u> amount of liquid may be beneficial in the oxidation reaction by continually removing

formed oxide product, on the other hand too much liquid would form an oxygen diffusion barrier preventing complete oxidation.

A second set of reactions which more closely simulated the actual calorimetry conditions was performed. A small amount (~50 mg) of Li2MoO4/MoO3 was placed into an alumina cup which was then placed into a 973 K box furnace. A small pellet (~20 mg) of LiMoN2 was dropped into the melt and it was allowed to react under these conditions for 1/2 hr. The molten reaction mixture was quenched to room temperature leaving a slightly off white, crystalline solid. The solid was a mixture of Li2MoO4 and MoO3 as shown by X-ray powder diffraction and mass change. Note that the initial and final compositions of the melt are identical. This experiment showed that the enthalpy measured in the calorimeter under similar reaction conditions would indeed correspond to complete oxidation of LiMoN2 to molten Li2O·2MoO3.

Following the initial experiments in the box furnace, calorimetry proceeded as follows. Pellets (3 mm diameter) of LiMoN2 were prepared (ranging in mass from 7-12 mg) and were dropped into the calorimeter that contained no melt. Under these conditions the oxidation process was quite slow, as indicated by heat being evolved for times greater than 90 min. A second type of experiment was performed in which a pellet (~ 10 mg) consisting of Li2MoO4 + MoO3 (equivalent to Li2O:2MoO3 and having the same metals ratio as in LiMoN2) was first dropped into the calorimeter. The liquid present was expected to enhance the oxidation reaction (eq. 13). The oxide mixture was allowed to melt at 977 K (eutectic mp - 803 K)³⁹ and the calorimeter equilibrated before a pellet of

LiMoN2 was dropped. The LiMoN2 pellet was dropped and produced a relatively rapid oxidation reaction that was complete in ~60 min, when the system had again returned to equilibrium. A second LiMoN2 pellet of similar mass was dropped into the calorimeter yielding results similar to the first LiMoN2 drop. However, when a third LiMoN2 pellet was dropped the reaction was once again slow (> 90 min) and the measured enthalpy was not consistent with the first two LiMoN2 drops. These findings supported our initial idea that a small amount of liquid would promote the oxidation reaction, whereas, after several pellets had been dropped (each producing 1/2Li2O + MoO3) enough melt was present to cover any pellets dropped thereafter, thus slowing the oxidation. We concluded from further drop experiments that a maximum of three drops, one Li2MoO4 + MoO3 and two LiMoN2 pellets, could be made to give reliable and reproducible heat of oxidation data.

In order to complete the thermochemical cycle and to calculate the ΔHf° for LiMoN2 (see cycle below), the heat content and heat of melting of Li2MoO4 + MoO3 was measured when pellets (7-10 mg) of Li2MoO4 + MoO3 were dropped in the same calorimetric system to determine the enthalpy for that process (eq. 14). These drops were made after the two LiMoN2 pellet drops, resulting in consistent and reproducible heat of reaction data.

$$(\text{Li}_2\text{MoO}_4 + \text{MoO}_3) \text{ (s, 298 K)} \longrightarrow (\text{Li}_2\text{O} + 2\text{MoO}_3) \text{ (l, 977 K)}$$
 (14)

Thermochemical cycle to determine ΔH_f° for LiMoN₂.

1) LiMoN₂ (s, 298 K) + 7/4O₂ (g, 977 K) \longrightarrow (1/2Li₂O+ MoO₃) (l, 977 K) + N₂ (g, 977 K) \triangle H_{Ox} 1

2) $(\text{Li}_2\text{O} + 2\text{MoO}_3)(l, 977 \text{ K}) \rightarrow \text{Li}_2\text{MoO}_4(s, 298 \text{ K}) + \text{MoO}_3(s, 298 \text{ K}) - \Delta H_{1.2}$

3) $O_2(g, 298 \text{ K}) \rightarrow O_2(g, 977 \text{ K})$

 $\Delta H_{1.3}$

4) $N_2(g, 977 K) \rightarrow N_2(g, 298 K)$

 $\Delta H_{1.4}$

5) LiMoN₂ (298 K) + 7/4O₂ (298 K) \rightarrow 1/2Li₂MoO₄ (298 K) + 1/2MoO₃ (298 K) + N₂ (298 K) \rightarrow Δ H_{1.5}

 $\Delta H_{1.5} = \Delta H_{0x1} - 1/2\Delta H_{1.2} + 7/4\Delta H_{1.3} + \Delta H_{1.4}$

(we used $\Delta H_{1.3}$ = 21.907 kJ/mol O₂ and $\Delta H_{1.4}$ = -20.718 kJ/mol N₂ in our calculation)³⁰

 $\Delta H_{1.5} = [1/2\Delta H_f^{\circ}(\text{Li}_2\text{MoO}_4) + 1/2\Delta H_f^{\circ}(\text{MoO}_3) + \Delta H_f^{\circ}(\text{N}_2)] - [\Delta H_f^{\circ}(\text{Li}_{Mo}\text{N}_2) + 7/4\Delta H_f^{\circ}(\text{O}_2)]$

(we used $\Delta H_f^{\circ}(Li_2MoO_4) = -1520.30 \text{ kJ/mol}$, $\Delta H_f^{\circ}(MoO_3) =$ -745.09 kJ/mol and $\Delta H_f^{\circ}(O_2) = \Delta H_f^{\circ}(N_2) = 0$ at standard state in our calculation)³¹

Na₃WO₃N and Na₃WN₃

Both Na₃WO₃N and Na₃WN₃ are quite air sensitive and are sodium rich.

This required modifications in the techniques to measure the heat of oxidation.

The following reactions can be expected:

Na₃WO₃N (s, 298 K) +
$$3/4$$
O₂ (g, 977 K) \rightarrow (3/2Na₂O + WO₃) (l, 977 K) + $1/2$ N₂ (g, 977 K) (15)

Na₃WN₃ (s, 298 K) + 9/4O₂ (g, 977 K)
$$\rightarrow$$
 (3/2Na₂O + WO₃) (*l*, 977 K) + 3/2N₂ (g, 977 K) (16)

The resulting oxidation products would be sodium oxide rich relative to the ternary oxide Na₂WO₄, hence "free" sodium oxide would be present and the melts could be corrosive and quite reactive with atmospheric water and carbon dioxide. In addition, the excess sodium oxide can react with the platinum crucible in which the oxidation reaction takes place. Therefore, WO₃ was mixed with Na₃WO₃N and Na₃WN₃ in a mortar (in an argon filled glove box) in a ratio of 5/4 WO₃:1 Na₃WO₃N and 5/4 WO₃:1 Na₃WN₃. The expected oxidation products that would result from this mixture are

Na₃WO₃N (298 K) +
$$5/4$$
WO₃ (298 K) + $3/4$ O₂ (977 K) \longrightarrow (3/2Na₂O + 9/4WO₃) (l , 977 K) + $1/2$ N₂ (977 K) (17)

Na₃WN₃ (298 K) +
$$5/4$$
WO₃ (298 K) + $9/4$ O₂ (977 K) \longrightarrow (3/2Na₂O + 9/4WO₃) (l , 977 K) + $3/2$ N₂ (977 K) (18)

This keeps the sodium to tungsten ratio less than 2 to 1 so that no attack of the platinum crucible is expected (or observed). Another advantage of adding WO3 to the system is the low melting point of the resulting oxide mixture (~943 K),³⁹ which may help the kinetics of the oxidation reaction, as for LiMoN2. Also, at this Na₂O:WO₃ ratio the system is "buffered" enthalpically.⁴⁰ In other words, the enthalpy of solution changes very little with slight changes in the mole fraction of WO₃, reducing measurement inconsistencies when slight variations in stoichiometry are present.

As mentioned before, both Na₃WO₃N and Na₃WN₃ are very air sensitive. Typical pellet drop experiments require an air exposure of the sample for ~5 s, too long for either of these compounds. We were able circumvent this problem by sealing the samples (~ 20-30 mg) in thin-walled silica glass capsules (approximately 3.5 mm diameter and 13 mm long) under vacuum. When capsules containing Na₃WN₃ + 5/4WO₃ were dropped into the 977 K calorimeter, they exploded after about 5 s, but the capsules containing Na₃WO₃N + 5/4WO₃ exploded only some of the time. When these latter capsules did not explode, the silica glass drop tube was lowered to smash them. We believe nitrogen gas is generated by decomposition of the nitride or oxynitride at 977 K. The nitride produces more nitrogen gas than the oxynitride leading to the more violent explosion of the capsules containing the former. Once the capsule is open, the oxidation proceeds rapidly. To optimize calorimetric conditions the following improvements in technique were made. A machined alumina ceramic plug was pressed on top of the platinum crucible to

prevent material from splattering out due to the explosion. For future experiments, the mass ratio of sample to capsule should be adjusted to ensure spontaneous, but not too violent, capsule breakage.

Na₃WO₃N:5/4WO₃ and Na₃WN₃:5/4WO₃ were heated under a flow of oxygen gas at 973 K for ~30 min in a tube furnace to verify that under these conditions both compounds are fully oxidized. X-ray powder diffraction and mass change confirmed that full oxidation was achieved.

Once again, to calculate ΔH_f° for Na₃WO₃N and Na₃WN₃, the heat content of the resulting oxide products had to be determined. An oxide mixture with the stoichiometry 3/2 Na₂O:9/4 WO₃ was prepared by reacting 3/2 Na₂CO₃:9/4 WO₃ at 973 K. This reaction mixture melted after ~ 15 min and it was kept at this temperature until no more CO₂ evolved. The resulting powder consisted of Na₂WO₄ and WO₃ as identified by X-ray powder diffraction. The powder was placed in an open silica glass capsule (approximately the same dimensions used before) and dropped into the calorimeter. The enthalpy for this drop (eq. 19), along with that for an empty silica glass capsule drop (eq. 20) are used in the calculation of the standard enthalpy of formation of Na₃WO₃N and Na₃WN₃ from a thermochemical cycle (see cycle below).

$$3/2Na_2WO_4 (s, 298 K) + 3/4WO_3 (s, 298 K) \longrightarrow (3/2Na_2O + 9/4WO_3) (l, 977 K)$$
 (19)

Silica Glass (298 K)
$$\rightarrow$$
 Silica Glass (977 K) (20)

Thermochemical cycle used in the calculation of the ΔH_f° for Na₃WO₃N (an analogous cycle was used for Na₃WN₃).

1) Na₃WO₃N (s, 298 K) +
$$5/4$$
WO₃ (s, 298 K) + $3/4$ O₂ (g, 977 K) \longrightarrow (3/2Na₂O + $9/4$ WO₃) (l, 977 K) + $1/2$ N₂ (g, 977 K) Δ H_{ox 2}

2)
$$(3/2\text{Na}_2\text{O} + 9/4\text{WO}_3)(l, 977 \text{ K}) \longrightarrow 3/2\text{Na}_2\text{WO}_4(s, 298 \text{ K}) + 3/4\text{WO}_3(s, 298 \text{ K})$$
 $-\Delta H_{2.2}$

3)
$$O_2(298 \text{ K}) \rightarrow O_2(977 \text{ K})$$
 $\Delta H_{2.3}$

4)
$$N_2$$
 (977 K) $\rightarrow N_2$ (298 K) $\Delta H_{2.4}$

$$\Delta H_{2.5} = \Delta H_{0x2} - \Delta H_{2.2} + 3/4\Delta H_{2.3} + 1/2\Delta H_{2.4}$$

$$\Delta H_{2.5} = [3/2\Delta H_f^{\circ}(Na_2WO_4) + 3/4\Delta H_f^{\circ}(WO_3) + 1/2\Delta H_f^{\circ}(N_2)] - [\Delta H_f^{\circ}(Na_3WO_3N) + 5/4\Delta H_f^{\circ}(WO_3) + 3/4\Delta H_f^{\circ}(O_2)]$$

(we used $\Delta H_f^o(Na_2WO_4) = -1548.9 \text{ kJ/mol}$ and $\Delta H_f^o(WO_3) = -842.87 \text{ kJ/mol}$ in our calculation)³¹

Ta₃N₅

We have attempted to determine the conditions in which the thermochemical properties of Ta3N5 may be measured. This has proved to be very challenging. Ta3N5 is one of the few binary transition metal nitrides for which no thermochemical data is reported in the literature. Preliminary oxidation reactions of Ta3N5 at temperatures as high as 1773 K in flowing oxygen gas for more than an hour results in incomplete oxidation. The resulting off-white powder has the Ta2O5 structure by X-ray powder diffraction, as expected (eq. 21), but the mass gain after the oxidation is about 14% less than expected, indicating incomplete oxidation.

$$2Ta_3N_5 + 15/2O_2 \longrightarrow 3Ta_2O_5 + 5N_2$$
 (21)

We will continue to examine this system to determine appropriate conditions for complete oxidation of Ta₃N₅. Perhaps a suitable solvent can be used to speed the oxidation process.

Results and Discussion

LiMoN2

Seven LiMoN₂ pellet drops were used in calculating the heat of oxidation $(\Delta H_{ox\,1})$ for the reaction shown in eq. 13. Five Li₂MoO₄ + MoO₃ pellets were dropped to determine the enthalpy of the reaction in eq. 14 ($\Delta H_{1.2}$). These experimentally determined values along with literature data for nitrogen and

oxygen gas, were used in the thermochemical cycle to calculate the standard heat of formation of LiMoN2: These data are shown in table VI.

Table VI

The stability of LiMoN₂ becomes evident when the standard enthalpy of formation from the binaries (ΔH_f^b) of LiMoN₂ (-224.0 kJ/mol, eq. 22) is

$$1/2\text{Mo}_2\text{N} + 1/3 \text{Li}_3\text{N} + 7/12\text{N}_2 \longrightarrow \text{Li}_3\text{Mo}_2$$
 (22)

compared to that of Li₂MoO₄ (-180.0 kJ/mol). If the Δ H_f^b(N)/ Δ H_f° for LiMoN₂ was approximately equal to Δ H_f^b(O)/ Δ H_f° for Li₂MoO₄, the predicted Δ H_f^b(N) of LiMoN₂ would be about -46 kJ/mol. There must be other contributing factors that influence the stability of LiMoN₂ relative to the binary nitrides. One obvious difference is that the formation of LiMoN₂ involves oxidation of the molybdenum. At this point, we are unable to quantify this effect, but a possible method for approximating this oxidation/reduction contribution would be to measure the enthalpy of reaction between Li₂O and MoO₂ (eq. 23) and compare this to the reaction between Li₂O and MoO₃ to synthesize Li₂MoO₄.

$$Li2O + M0O2 + 1/2O2 \rightarrow Li2M0O4$$
 (23)

The ΔHf° for Li₂MoO₄ is -1520.3 kJ/mol which is almost four times as negative as that for LiMoN₂. This alone makes it seem unlikely to that LiMoN₂ could be synthesized by the ammonolysis of Li₂MoO₄. If we assume $\Delta Gf^{\circ}/\Delta Hf^{\circ}$ is about the same for LiMoN₂ and Li₂MoO₄ (so ΔGf° (LiMoN₂) can be estimated), then the free energy for the ammonolysis reaction (eq. 24) can be

approximated ($\Delta G_f^{\circ}(LiMoN_2) \approx -358 \text{ kJ/mol}$, $\Delta G_f^{\circ}(Li_2MoO_4) = -1409.6 \text{ kJ/mol}$). The main driving force for this reaction is

$$Li_2MoO_4 + 7/3NH_3 \rightarrow LiMoN_2 + 1/2Li_2O + 1/6N_2 + 7/2H_2O$$
 (24)

$$\Delta G_{\text{rxn}}^{\circ}(\text{RT}) \approx -21 \text{ kJ/mol LiMoN}_2$$

the production of water (-237.2 kJ/mol). The reaction is further driven to the right by sweeping the product gases away with the flowing ammonia gas. At 1000 K, the ammonolysis reaction temperature, $\Delta G_{TXN}(T)$ should be less than -21 kJ/mol if it is assumed that the change in free energy with increased temperature is a result of the entropy of the gaseous species only. This also argues for a decrease in $\Delta G_{TXN}^{\circ}(1000 \text{ K})$ (ΔG_{TXN} becomes even more negative), since there are 7/3 moles of gaseous reactants, but 11/3 moles of gaseous products.

Na₃WO₃N and Na₃WN₃

Seven sealed silica glass capsules containing Na₃WO₃N + 5/4WO₃ were dropped to determine the heat of oxidation ($\Delta H_{ox\,2}$) for the reaction in eq. 17. Seven empty silica glass capsules were dropped so this heat content could be subtracted from $\Delta H_{ox\,2}$ to obtain an enthalpy value for the oxidation reaction only. The value for the silica glass was determined to be 38.61 ± 0.4 kJ/mol. Six open silica glass capsules containing 3/2Na₂O + 9/4WO₃ were dropped to calculate the enthalpy associated with the heating and melting of the oxide mixture ($\Delta H_{2.2}$, eq. 19). These values, along with literature data for nitrogen

and oxygen gas, were used in the thermochemical cycle to calculate the standard heat of formation for Na₃WO₃N (an analogous thermochemical cycle was constructed for Na₃WN₃). The data for Na₃WO₃N and Na₃WN₃ are shown in table VII.

Table VII

The large magnitude of $\Delta H_f^{\circ}(Na_3WO_3N)$ (-1358.8 kJ/mol) is not surprising since the compound is more chemically similar to Na₂WO₄ than Na₃WN₃ (i.e. it is primarily an oxide). The $\Delta H_f^{\circ}(N)$ for Na₃WO₃N cannot be calculated since Na₃N has not been synthesized and the product is an oxynitride. The feasibility of the ammonolysis of $1/2Na_2O + Na_2WO_4$ can be addressed if again we assume that $\Delta G_f^{\circ}/\Delta H_f^{\circ}$ for Na₃WO₃N and Na₂WO₄ are equal $(\Delta G_f^{\circ}(Na_3WO_3N) \approx -1258 \text{ kJ/mol}$ and $\Delta G_f^{\circ}(Na_2WO_4) = -1434.53 \text{ kJ/mol}$, eq. 25). Even though the $\Delta G_{rxn}(RT)$ is positive, the water pressure required

$$1/2Na2O + Na2WO4 + NH3 \longrightarrow Na3WO3N + 3/2H2O$$
 (25)

$$\Delta G_{\text{rxn}}(RT) \approx + 27 \text{ kJ/mol Na}_3WO_3N$$

to make $\Delta G_{TXN}(RT) = 0$ is 7×10^{-4} atm (see eq. 12). Since PH₂O is estimated to be considerably less in our reaction apparatus, the reaction should proceed. As the temperature increases, so will the entropy change in the ammonolysis reaction (eq. 25). This will cause $\Delta G_{TXN}(RT)$ to decrease and the water pressure at which $\Delta G_{TXN}(RT) = 0$ will increase, making this reaction even more likely at the reaction temperature (1000 K).

The ΔH_f° for Na₃WN₃ is much less negative than the ΔH_f° for Na₃WO₃N, as expected (table VII). Only a 'pseudo' ΔH_f° can be calculated (eq. 26) for

$$1/2W_2N + 3NaNH_2 \rightarrow Na_3WN_3 + 3H_2 + 1/4N_2$$
 (26)

$$\Delta H_f^b = -238.1 \text{ kJ/mol Na3WN3}$$

Na3WN3, since Na3N has not been synthesized. The $\Delta H_f^b(N)$ from eq. 26 does however, lend some insight on the stability of Na3WN3 relative to Na2WO4. As for LiMoN2, $\Delta H_f^b(N)$ for Na3WN3 is relatively large in magnitude compared to that for the analogous ternary oxide ($\Delta H_f^b(Na2WO4) = -290 \text{ kJ/mol}$). For the case of Na3WN3, where tungsten is fully oxidized, the large $\Delta H_f^b(N)$ may indicate the importance of acid/base interactions as previously discussed for ternary oxide formation from binary oxides.

The thermodynamic properties of Na₃WO₃N and Na₃WN₃ were measured to understand why the pure nitride, Na₃WN₃, cannot be synthesized from the ammonolysis of 1/2Na₂O + Na₂WO₄ (eq. 27). If we consider the

$$1/2Na_2O + Na_2WO_4 + 3NH_3 \longrightarrow Na_3WN_3 + 9/2H_2O$$
 (27)

$$\Delta G_{\text{rxn}}(RT) \approx +204 \text{ kJ/mol Na3WN3}$$

hypothetical ammonolysis reaction of this oxide mixture to synthesize Na₃WN₃, it becomes obvious why only Na₃WO₃N is formed (compare free energies of reaction in eq. 25 and eq. 27)

Conclusion

The results of our calorimetric measurements support our initial predictions concerning the ammonolysis of ternary oxides to synthesize ternary nitrides. That is, if $\Delta G_f^b(O) \geq \Delta G_f^b(N)$ and ΔG_B is not too positive, then ternary nitrides may result from the ammonolysis of ternary oxides. This is likely the case for LiMoN2. If $\Delta G_f^b(O) \leq \Delta G_f^b(N)$ and/or ΔG_B is quite positive, oxynitrides or mixed binary oxides/nitrides will likely result. This is in agreement with what is observed when considering the ammonolysis of 1/2Na₂O:Na₂WO₄ produces Na₃WO₃N instead of Na₃WN₃. Determining what ternary nitrides may be synthesized from the ammonolysis of ternary oxides will become more evident as thermodynamic data becomes available for ternary nitrides. It is interesting and surprising that $\Delta H_f^b/\Delta H_f^o$ for LiMoN₂ and Na₃WN₃ are much greater than those of the respective ternary oxides, indicating the stability of the ternary nitrides relative to their respective binary nitrides. Changes in oxidation state of the metal, as in the synthesis of LiMoN₂ from Li₂MoO₄, may play an important role in the stability of LiMoN₂.

We have not addressed the ammonolysis reactions of ternary oxides with "small" $\Delta G_f^b(O)$. The ammonolysis of this class of ternary oxides has only recently received attention^{26,41} and will likely lead to new ternary nitrides in

which the thermochemical properties can be measured and compared to those with "large" $\Delta G_f^b(O)$. Thermodynamic measurements of this class of oxides/nitrides will be the subject of future work.

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References

- 1. Elder, S. H.; Doerrer, L. H.; DiSalvo, F. J.; Parise, J. B.; Guyomard, D. and Tarascon, J. M. Chem. Mater. 1992, 4 928.
- 2. Brokamp, Th. and Jacobs, H., J. Alloys Comp. 1992, 183, 325.
- 3. Brokamp, Th. and Jacobs, H. J. Alloys Comp. 1991, 176, 47.
- 4. Gudat, A.; Kniep, R.; Rabenau, A.; Bronger, W. and Ruschewitz, U. J. Less-Common Met. 1990, 161, 31.
- 5. Jacobs, H. and von Pinkowski, E. J. Less-Common Met. 1989, 146, 147.
- 6. Rauch, P. E. and DiSalvo, F. J. J. Solid State Chem. 1992, 100, 160.
- 7. Zachwieja, U. and Jacobs, H. Eur. J. Sold State Inorg. Chem. 1992, 28, 1055.
- 8. Ostermann, D.; Zachwieja, U. and Jacobs, H. J. Alloys Comp. 1992, 190, 137.
- 9. Rauch, P. E.; DiSalvo, F. J.; Brees, N. E.; Partin, D. and O'Keeffe, M. submitted for publication in *J. Solid State Chem*.
- 10. Chern, M. Y. and DiSalvo, F. J. J. Solid State Chem. 1990, 88, 459.
- 11. Chern, M. Y. and DiSalvo, F. J. J. Solid State Chem. 1990, 88, 528.
- 12. Vennos, D. A. and DiSalvo, F. J. J. Solid State Chem. 1992, 98, 318.
- 13. Vennos, D. A.; Badding, M. E. and DiSalvo, F. J. Inorg. Chem. 1990, 29, 4059.
- Chern, M. Y.; Vennos, D. A. and DiSalvo, F. J. J. Solid State Chem. 1992, 96,
 415.
- 15. Hohn, P. and Kniep, R. Z. Naturforsch. 1992, 47b, 477.
- Cordier, G.; Hohn, P.; Kniep, R. and Rabenau, A. Z. anorg. allg. Chem. 1991, 591, 58.
- 17. Karam, R. and Ward, R. Inorg. Chem. 1970, 9(no. 8), 1849.
- 18. Gudat, A.; Kniep, R. and Rabenau, A. Z. anorg. allg. Chem. 1991, 597, 61.

- 19. Hohn, Von P.; Haag, S.; Milius, W. and Kniep, R. Angew. Chem. 1991, 103, 874.
- 20. Hohn, P. and Kniep, R. Z. Naturforsch. 1992, 47b, 434.
- 21. Patterson, F. and Ward, R. Inorg Chem. 1966, 5(no. 8), 1312.
- 22. Hohn, P.; Kniep, R. and Rabenau, A. Z. Kristallog. 1991, 196, 153.
- 23. Gudat, A.; Hohn, P.; Kniep, R. and Rabenau, A. Z. Naturforsch. 1991, 46b, 566.
- Gudat, A.; Haag, S.; Kniep, R. and Rabenau, A. J. Less-Common Met. 1990, 159, L29.
- 25. Gudat, A.; Milius, W.; Haag, S.; Kniep, R. and Rabenau, A. J. Less-Common Met. 1991, 168, 305.
- 26. Bem, D. S. and zur Loye, H. -C. submitted for publication in *J. Solid State Chem*.
- 27. Navrotsky, A. Phys. Chem. Minerals 1977, 2, 89.
- 28. Brauer, G.; Weidlein, J. and Strahle, J. Z. anorg. allg. Chem. 1966, 348, 298.
- 29. Jaggers, C. H.; Michaels, J. N. and Stacy, A. M. Chem. Mater. 1990, 2, 150.
- 30. Chase, M. W. et al JANAF Thermochemical Tables, 3rd ed.; American Chemical Society and American Institute of Physics: New York, New York, 1985; Vol. 14 (parts 1 & 2).
- 31. CRC Handbook of Chemistry and Physics, 64th ed.; Weast, R. C., Ed.; CRC Press Inc.: Boca Raton, Florida, 1984; pp D50-D93.
- 32. Rauch, P. E. and DiSalvo, F. J. Inorg. Synth., in press.
- 33. Elder, S. H. and DiSalvo, F. J., Cornell University, unpublished results.
- 34. Keddie, J. L. et al J. Am. Ceram. Soc. 1991, 74(11), 2973.

- Marchand, R.; Pors, F.; Laurent, Y.; Regreny, O.; Lostec, J. and Haussonne,
 L. M. J. Phys., Collog. 1986, 47(no. 2), C1-901.
- 36. Elder, S. H.; DiSalvo, F. J.; Parise, J. B.; Hriljac, J. A. and Richardson, Jr., J. W. J. Solid State Chem., in press.
- 37. Marchand, R.; Pors, F. and Laurent, Y. Ann. Chim. Fr. 161991, 16, 553.
- 38. Bacher, P.; Antoine, P.; Marchand, R.; L'Haridon, P.; Laurent, Y. and Roult, G. J. Solid State Chem. 1988, 77, 67.
- 39. Levin, E. M. and McMurdie, H. F. In *Phase Diagrams for Ceramists*; Reser, M. K., Ed.; The American Ceramic Society; Columbus, OH, 1975.
- 40. Navrotsky, A. and Kleppa, O. J. inorg. Chem. 1967, 6, 2119.
- 41. Bem, D. S.; Gibson, C. P. and zur Loye, H. -C. Chem. Mater. 1993, 5, 397.

 Table I. Thermodynamic data for some selected gases of interest.

Element/Comp-	T (K)	ΔH_{f}°	S°(J/K mol)	ΔG°(kJ/mol)
ound		(kJ/mol)		
N ₂	298	0.0	192	0.0
	1000	0.0	228	0.0
O ₂	298	0.0	205	0.0
	1000	0.0	244	0.0
H ₂ O	298	-285.8	69.9	-237.2
	1000	-247.7	233	-192.5
NH3	298	-46.0	193	-16.4
	1000	-54.8	246	61.9
H ₂	298	0.0	131	0.0
	1000	0.0	166	0.0
HCl	298	-9 2.5	187	-95.4
	1000	-94.6	223	-100.8
H ₂ S	298	-20.5	206	-33.3
	1000	-90.0	253	-4 1.0
Cl ₂	298	0.0	223	0.0
	1000	0.0	266.9	0.0

Table II. Standard free energies of formation (kJ/mol) for selected binary oxides and nitrides at room temperature.

Oxid	es	Nitrides	
Compound	ΔGf°	Compound	ΔGf°
Li ₂ O	-560.7	Li ₃ N	-154.8
Na ₂ O	-379.5	NaNH2 ^a	-64 .0
K ₂ O	-325.1	KNH2 ^a	-66.9
MgO	-569.0	Mg3N2	-401.2
CaO	-602.5	Ca3N2	-4 10.0
SrO	-560.6	Sr3N2	-322.2
BaO	-518.8	Ba3N2	-305.4
La ₂ O ₃	-1707	LaN	-270.3
Al ₂ O ₃	-1573	AlN	-287.0
TiO ₂	-891.2	TiN	-309.2
ZrO ₂	-1042	ZrN	-336.8
V ₂ O ₅	-1423	VN	-191.2
Nb ₂ O ₅	-1766	NbN	-213.4
Ta2O5	-1920	Ta3N5	-1151b
CrO3	-506.3	CrN	-92 .0
MoO3	-669.4	Mo2N	-50.2
WO ₃	-756.7	W ₂ N	-46.0
MnO ₂	-464.4	Mn3N2	-146.4
Fe ₂ O ₃	-744.8	Fe ₂ N	+12.6
CoO	-213.8	Co ₃ N	+8.4d
NiO	-211.7	Ni ₃ N	С
CuO	-128.4	Cu3N	+74.5d
ZnO2	-318.4	Zn3N2	-20.9

^aThe nitrides are unknown for these metals, hence the amides are reported here. ^bThe free energy of formation for Ta₃N₅ is not known. The value listed was estimated from the free energy of formation of TaN [(ΔG_f° (Ta₃N₅) = $5\Delta G_f^{\circ}$ (TaN)].

^cNiether ΔG_f nor ΔH_f known.

dOnly AHf known.

Table III. Thermodynamic data for the ammonolysis reactions of binary oxides.

Metal	T(K)	ΔG _f (k	ΔG _f (kJ/mol)	Reaction	$\Delta G_{ron}(T)(kJ)$	Pwater (atm) where
		oxide	nitride			$\Delta G_{ren}(T) \rightarrow 0$
: 1	298	-561	-155	3Li2O + 2NH3 →	+715	1.58 x 10-42
	1000	4 69	-31.2	2Li3N + 3H2O	+640	7.16×10^{-12}
Z a	298	-379	-64.0a	Na2O + 2NH3 →	+25.1	3.98×10^{-5}
	1000	-281	+50.6b	2NaNH2 + H2O	+65.3	3.90 × 10-4
×	298	-325	-66.9a	same as above	41.8	ਰ
	1000	-225	+36.76		-18.7	Q
Mg	298	-569	401	3MgO + 2NH3 →	+649	1.28×10^{-38}
)	1000	494	-257	Mg3N2 + 3H2O	+523	7.83×10^{-10}
ပီ	298	-144	410	same as above	+753	9.94 x 10-45
	1000	-127	-259b		+632	1.0×10^{-11}
Š	298	-561	-322	same as above	+715	1.58×10^{-42}
	1000	494	-172b		+607	3.18×10^{-11}
Ba	298	-519	-305	same as above	+628	2.14×10^{-37}
	1000	456	-155b		+510	1.48×10^{-9}
Ľ	298	-1707	-270	La ₂ O ₃ + 2NH ₃ → 2LaN	+485	4.39×10^{-29}
	1000	-1464	-195	+ 3H2O	+373	3.18×10^{-7}
ΑI	298	-1573	-287	same as above	+376	1.05×10^{-22}
	1000	-1351	-212		+223	1.31×10^{-4}
Ξ	298	-891	, 309	TiO ₂ + 4/3NH ₃ → TiN	+117	5.40×10^{-11}
	1000	-761	-243	+ 2H2O + 1/6N2	+24.1	0.235
Zr	298	-1042	-337	same as above	+213	1.99×10^{-19}
	1000	-910	-272		+142	1.98×10^{-4}
>	298	-1423	-191	V ₂ O ₅ + 10/3NH ₃ →	-33.5	סי
	1000	-1125	-131	2VN + 5H2O + 2/3N2	406	ъ
ź	298	-1766	-213	same as above	+192	1.79×10^{-7}
	1000	-1464	-138b		-80.8	ъ

Table III (cont.)

Ta	298	-1920	-1172c	3Ta2O5 + 10NH3 →	-33.5	Р
	1000	-1607	-795b,c	ZTa3N5 + 15H2O	-282	ס
ڻ	298	-506	-92.9	CrO ₃ + 2NH ₃ → CrN +	-251	σ
	1000	-2676	-39.5b	3H2O + 1/2N2	-548	ъ
Mo	298	699	-50.2	2MoO ₃ + 4NH ₃ →	-8.4	ъ
	1000	494	+25.1b	Mozn + 6H2O + 3/2N2	-615	σ
3	298	-766	46.0	same as above	-33.5	q
	1000	-586	+29.3b		-427	p
Mn	298	464	-146	3MnO ₂ + 4NH ₃ →	-71.1	ס
	1000	-304b	+4.2b	~	-636	p
Fe	298	-745	+12.6	Fe2O3 + 2NH3 → Fe2N	+83.4	1.29×10^{-5}
	1000	-561	+87.9b	+ 3H ₂ O + 1/2N ₂	-131	Ъ
Zu	298	-318	-20.9	3ZnO + 2NH3 →	+255	1.22x 10-15
	1000	-238b	+130b	Zn3N2 + 3H2O	+140	3.63 x 10 ⁻³

^a Calculations done for the formation of the amide not the nitride.

^b These free energies of formation were calculated using equation 10. ^c These values were estimated form those given for TaN.

 $^{\rm d}$ The pressure of water not determined because $\Delta Gf < 0.$

Table IV. Thermodynamic data for the ammonlysis reactions of Li, Na and K oxides and peroxides.

439 Li ₂ O ₂ + NH ₃ → 2Li ₃ OH + 1/2N ₂ + 1/2H ₂ Li ₂ O + NH ₃ → LiOH + LiNH ₂ LiOH + NH ₃ → LiOH + + H ₂ O Li ₂ O + 2NH ₃ → 2LiNH ₂ + H ₂ O Li ₂ O + 2NH ₃ → 2LiNH ₂ + H ₂ O Na ₂ O ₂ + NH ₃ → Na ₂ O ₃ + NH ₃ → Na ₂ O ₄ + NH ₃ → Na ₃ O ₄ + NH ₃ → Na ₃ O ₇ + NH ₃ → Na ₃ O ₇ + NH ₃ → Na ₃ O ₇ + NH ₃ → 2KOH + K ₂ O ₇ + NH ₃ → 2KOH + K ₂ O ₇ + NH ₃ → 2KOH + K ₂ O ₇ + NH ₃ → 2KOH + K ₂ O ₇ + NH ₃ → 2KOH + K ₂ O ₇ + NH ₃ → 2KOH + K ₂ O ₇ + NH ₃ → 2KOH + K ₂ O ₇ + NH ₃ → 2KOH +	Metal T(K)	T(K)	ΔG _ε (kJ/mol)	mol)	Reaction	ΔGran (T)	Pwater (atm) where
298 -569 -439 Li ₂ O ₂ + NH ₃ → 2Li ₂ OH 1000 -418 -304 +1/2N ₂ +1/2H ₂ 298 Li ₂ O ₂ + NH ₃ → Li ₂ OH + Li			peroxide/oxide	hydroxide	!	(k])	$\Delta G_{\text{rxn}}(T) \rightarrow 0$
1000 418 -304 +1/2N2+1/2H2 298 Li ₂ O+NH ₃ →LiOH+ 1000 298 Li ₂ O+NH ₃ →LiOH+ 1000 298 Li ₂ O+2NH ₃ →LiNH ₂ +H ₂ O 298 -448 -379 Na ₂ O ₂ +NH ₃ → LiNH ₂ 1000 -298 -278 Na ₂ O ₂ +NH ₃ → LiNH ₂ 1000 -298 -278 Na ₂ O ₂ +NH ₃ → NaOH+ 1000 Na ₂ O ₃ +NH ₃ → NaOH+ 1000 Na ₂ O ₄ +NH ₃ → NaOH+ 1000 Na ₂ O ₄ +NH ₃ → NaOH+ 1000 Na ₂ O ₄ +NH ₃ → NaOH+ 1000 Na ₂ O ₄ +NH ₃ → NAOH+ 1000 Na ₂ O	ı	298	-569	439	Li ₂ O ₂ + NH ₃ → 2LiOH	-296	a
298 1000 1000 298 1000 298 1000 298 1000 298 -448 -379 1000 1204 + NH ₃ → LiNH ₂ + H ₂ O + H ₂ O -448 -379 1000 1204 + NH ₃ → LiNH ₂ + H ₂ O -298 -278 1020 + 1/2 N ₂ + 1/		1000	418	-304	+1/2N2+1/2H2	418	æ
1000 298 1000 298 1000 298 448 -379 1000 298 448 -379 1000 1,242 1,243 1,242 1,242 1,242 1,242 1,242 1,242 1,242 1,242 1,242 1,242 1,242 1,242 1,242 1,242 1,242 1,242 1,243 1,242 1,243 1,242 1,243 1,242		298			Li ₂ O + NH ₃ → LiOH +	+50.2	æ
298 1000 298 1000 298 -448 -379 -492 1000 298 -448 -278 1020+2NH₃→2LiNH₂ 1000 -298 -278 1020+1/2N₂+ 1/2H₂ 1000 298 1000 298 -431 -379 NaOH+NH₃→NaOH+ NaNH₂ 1000 1000 298 -431 -379 K₂O+NH₃→2KOH+ 1000 298 K₂O+NH₃→2H₂O 298 1000 298 1000 1000 1000 1000 1000 1000 1000 10		1000			LiNH ₂	+118	ત
1000 298 1000 1000 1000 298 -448 -379 Na ₂ O ₂ + NH ₃ → 2LiNH ₂ + H ₂ O 298 -278 1000 1,2H ₂ 1000 298 Na ₂ O ₁ + NH ₃ → Na ₂ OH + 1/2N ₂ + 1/2N ₂ 1000 298 Na ₁ O ₁ O ₁ O ₂ O ₂ O ₃ O ₄ O ₄ O ₄ O ₄ O ₄ O ₅ O ₆		298			LiOH + NH ₃ → LiNH ₂	+131	1.11×10^{-23}
298 1000 -448 -379 -448 -379 -448 -379 -448 -379 -448 -278 -278 -1/2H ₂ -278 -1/2H ₂ -278 -1/2H ₂ -278 -298 -278 -278 -1/2H ₂ -278 -278 -278 -278 -278 -278 -279 -279 -431 -279 -279 -279 -279 -279 -279 -279 -279		1000			+ H2O	+66.1	3.52×10^{-4}
1000 + H ₂ O 298		298			Li ₂ O + 2NH ₃ → 2LiNH ₂	+181	1.76×10^{-32}
298 -448 -379 Na ₂ O ₂ + NH ₃ → 1/2H ₂ 298 1000 -298 1/2H ₂ 298 Na ₂ O ₄ + NH ₃ → Na ₂ O ₄ + Na ₂ O ₄		1000			+ H2O	+185	2.19×10^{-10}
1000 -298 -278 2Na2OH + 1/2N2 + 1/2H2 298 Na2O + NH3 → NaOH + 1000 NaNH2 298 NaOH + NH3 → 1000 NaNH2 + H2O 298 Na2O + 2NH3 → 208 Na2O + 2NH3 → 298 Na2O + 2NH3 → 298 + 431 -379 K2O + NH3 → 2KOH + 298 K2O + NH3 → KOH + 298 KOH + NH3 → KNH2 + 1000 H2O 298 KOH + NH3 → KNH2 + 298 K2O + 2NH3 → 2KOH + 298 K2O + 2NH3 → 2KOH + 298 K2O + 2NH3 → 2KNH2 + 2000 Na SCO + 2NH3 → 2KNH3 + 2000 Na SCO + 2NH3 → 2NH3 + 2000 Na SCO + 2NH3 + 2000 Na SCO + 2NH3 + 2000 Na SCO	Na	298	-448	-379	Na ₂ O ₂ + NH ₃ →	-295	æ
1/2H ₂ 298 Na ₂ 0+NH ₃ → Na ₂ OH + 1000 298 Na ₁ OH + NH ₃ → 1000 298 -431 -379 K ₂ O ₂ + NH ₃ → 2KOH + 1000 -276 -279 1/2N ₂ + 1/2H ₂ K ₂ O + NH ₃ → 2KOH + 1000 298 K ₂ O + NH ₃ → 2KOH + 1000 298 K ₂ O + NH ₃ → KOH + 1000 298 K ₂ O + NH ₃ → KOH + 1000 298 K ₂ O + NH ₃ → KOH + 1000 298 K ₂ O + NH ₃ → 2KNH ₂ + 1000 298 K ₂ O + 2NH ₃ → 2KNH ₂ + 1000 298 K ₂ O + 2NH ₃ → 2KNH ₂ + 1000 298 K ₂ O + 2NH ₃ → 2KNH ₂ + 1000 298 K ₂ O + 2NH ₃ → 2KNH ₂ + 1000 298 K ₂ O + 2NH ₃ → 2KNH ₂ + 1000		1000	-298	-278	2NaOH + 1/2N2 +	-448	હ
298 1000 298 NaNH2 NaNH2 1000 298 NaNH2 + H2O NANH2 + NANH2 + NANH2 + NANH2 + H2O NANH2 + NANH2 + NANH2 + NANH2 + NANH2 + H2O NANH2 + NA					1/2H ₂		
1000 298 NaOH + NH3 → 1000 298 NaNH2 + H2O NaNH3 → KOH + 1000 NAOH + NH3 → KNH2 + 1000 NAOH + NH3 → ZKNH2 + 1000 NAOH + NH3 → ZKNH3 + 1000		298			Na20 + NH3 → NaOH +	-51.5	~
298 1000 298 1000 298 -431 -379 K ₂ O + 2NH ₃ → 2NaNH ₂ + H ₂ O 298 -431 -276 1/2N ₂ + NH ₃ → 2KOH + 1000 298 K ₂ O + NH ₃ → KOH + K ₂ O + NH ₃ → KOH + 1000 298 K ₂ O + NH ₃ → KOH + K ₂ O + NH ₃ → KOH + 1000 298 K ₂ O + NH ₃ → KNH ₂ + 1000 298 K ₂ O + 2NH ₃ → 2KNH ₂ + 1000 298 K ₂ O + 2NH ₃ → 2KNH ₂ + 1000 298 K ₂ O + 2NH ₃ → 2KNH ₂ + 1000 298 K ₂ O + 2NH ₃ → 2KNH ₂ + 1000 298		1000			NaNH ₂	-7.1	æ
1000 298 1000 1000 298 -431 -379 K ₂ O ₂ + NH ₃ → 2KOH + H ₂ O 298 -276 -279 1/2N ₂ + 1/2H ₂ K ₂ O + NH ₃ → KOH + H ₂ O 298 K ₂ O + NH ₃ → KOH + KNH ₂ 1000 298 KOH + NH ₃ → KNH ₂ + H ₂ O 298 K ₂ O + 279 1000 298 K ₂ O + 279 K ₃ O + 270 KNH ₂ → KNH ₂ + H ₂ O 298 K ₄ O + 270 298 K ₄ O + 270 298 K ₅ O + 270 298 K ₅ O + 270 200 200 200 200 200 200 200 200 200		298			NaOH + NH3 →	+105	3.30×10^{-19}
298 -431 -379 $K_2O_2 + 2NH_3 \rightarrow$ $2NaNH_2 + H_2O$ 298 -431 -379 $K_2O_2 + NH_3 \rightarrow 2KOH +$ 1000 -276 -279 $1/2N_2 + 1/2H_2$ $K_2O_3 + NH_3 \rightarrow KOH +$ 1000 KNH_2 KNH_2 KNH_2 KNH_2 KNH_2 KNH_2 KNH_3 KNH_2 KNH_2 KNH_3 KNH_2 KNH_3 KNH_2 KNH_3 KNH_2 KNH_3 KNH_3 KNH_2 KNH_3 KNH		1000			NaNH2 + H2O	+70.7	2.03×10^{-4}
1000 $2N_{a}NH_{2} + H_{2}O$ 298 -431 -379 $K_{2}O_{2} + NH_{3} \rightarrow 2KOH + 1000$ -276 -279 $1/2N_{2} + 1/2H_{2}$ 298 $K_{2}O_{1} + NH_{3} \rightarrow KOH + 1000$ KNH_{2} 298 $KOH + NH_{3} \rightarrow KNH_{2} + 1000$ $KOH + NH_{3} \rightarrow KNH_{2} + 1000$ $H_{2}O$		298			Na ₂ O + 2NH ₃ →	+25.1	3.98×10^{-5}
298 -431 -379 $K_2O_2 + NH_3 \rightarrow ZKOH + 1000$ -276 -279 $1/2N_2 + 1/2H_2$ 298 $K_2O + NH_3 \rightarrow KOH + 1000$ KNH_2 298 $KOH + NH_3 \rightarrow KNH_2 + 1000$ H_2O		1000			2NaNH2 + H2O	+65.3	3.90×10^{-4}
-276 -279 $1/2N_2 + 1/2H_2$ $K_2O + NH_3 \rightarrow KOH + KNH_2$ $KOH + NH_3 \rightarrow KNH_2 + H_2O$ $K_2O + 2NH_3 \rightarrow 2KNH_2$	×	298	-431	-379	$K_2O_2 + NH_3 \rightarrow 2KOH +$	-310	es.
$K_2O + NH_3 \rightarrow KOH + KNH_2$ $KOH + NH_3 \rightarrow KNH_2 + H_2O$ $K_2O + 2NH_3 \rightarrow 2KNH_2$		1000	-276	-279	1/2N2 + 1/2H2	474	æ
KNH_2 $KOH + NH_3 \rightarrow KNH_2 + H_2O$ $K_2O + 2NH_3 \rightarrow 2KNH_2$		298			$K_2O + NH_3 \rightarrow KOH +$	-107	æ
$KOH + NH_3 \rightarrow KNH_2 + H_2O$ H_2O $K_2O + 2NH_3 \rightarrow 2KNH_2$		1000			KNH ₂	-80.3	æ
H_2O $K_2O + 2NH_3 \rightarrow 2KNH_2$		298			KOH + NH3 → KNH2 +	+98.7	4.92×10^{-18}
K ₂ O + 2NH ₃ → 2KNH ₂		1000			H ₂ O	+60.2	7.13×10^{-4}
C-H		298			$K_2O + 2NH_3 \rightarrow 2KNH_2$	41.8	co.
0211+		1000			+ H2O	-18.7	æ

a No water is formed in these reactions.

Table V. Thermodynamic data for the ammonolysis of binary chlorides of some selected metals.

Metal	T(K)	ΔG _f (k	J/mol)	Reaction	$\Delta G_{rxn}(T)$	P _{water} (atm) where
		chloride	nitride		(kJ)	$\Delta G_{\text{rxn}}(T) \rightarrow 0$
Na	298	-384	-64.0	NaCl + NH3 →	+241	5.72 x 10-43
	1000	-319	+50.6	NaNH2 + HC1	+207	1.60 x 10-11
Ca	298	-749	-410	$3CaCl_2 + 2NH_3 \rightarrow$	+1297	1.28 × 10-38
	1000	640	-259	Ca3N2 + 6HC1	+937	6.93 x 10-9
La	298	-1029	-270	$LaCl_3 + NH_3 \rightarrow LaN +$	+490	2.50 x 10-29
	1000	-770ª	-195	знсі	+210	2.24 x 10-4
Ti	298	-728	-309	$TiCl_4 + 4/3NH_3 \rightarrow$	+58.2	2.83 x 10-3
	1000	-573	-243	TiN + 4HCl + 1/6N2	-157	c
Ta	298	-745	-1172b	3TaCl ₅ + 5NH ₃ →	-280	c
	1000	-315ª	-795a,b	Ta ₃ N ₅ + 15HCl	-383	c
Mo	298	-423	-50.2	2MoCl ₅ + 10/3NH ₃ →	-105	С
	1000	-210	+25.1	Mo ₂ N + 10HCl +	<i>-7</i> 70	С
				7/6N ₂		
Mn	298	-439	-146	3MnCl ₂ + 2NH ₃ →	+632	3.49 x 10-19
	1000	-269ª	+4.2	Mn ₃ N ₂ + 6HCl	+81.2	0.197
Fe	298	-334	+12.6	3FeCl ₃ +2NH ₃ →	+473	1.54 × 10-14
	1000	-195	+87.9	Fe2N + 6HCl + 1/2N2	-251	С
Zn	298	-369	- 20.9	3ZnCl ₂ + 2NH ₃ →	+548	9.73 × 10-17
	1000	-197ª	+130	Zn3N2 + 6HCl	-6.7	С

^a These free energies of formation were calculated using equation 10.

bThese values were estimated from those given for TaN.

^c Pressure of water not dtermined because $\Delta G_f < 0$.

Table VI. Enthalpies of oxidation for LiMoN2 ($\Delta H_{OX~1}$, eq. 13) and heat content and enthalpy of melting for Li₂MoO₄ + MoO₃ ($\Delta H_{1.2}$, eq. 14). The uncertainties refer $\pm 2\sigma_{M}$.

Δ H_{ox 1} (kJ/mol LiMoN2)	Δ H_{1.2} (kJ/[Li ₂ MoO ₄ + MoO ₃])	$\Delta H_f^{\circ}(LiMoN_2)$ (kJ/mol)
-628.24	270.77	-386.0 ± 6.4
-628.30	269.75	
-627.98	271.40	
-623.11	274.79	
-642.86	265.96	
-629.38	270.5 ± 2.8	
-623.56	_	
-629.1 ± 5.0		

enthalpy of formation of Na3WO3N and Na3WN3 (the contribution from the silica glass has been considered in Table VII. Enthalpies of oxidation for Na3WO3N + 5/4 WO3 (ΔH_{Ox} 2, eq. 17), Na3WN3 + 5/4 WO3 (ΔH_{Ox} 3, eq. 18), heat content and enthalpy of melting of 3/2 Na2WO4 + 3/4 WO3 (AH2.2, eq. 19) and the standard all calculations). The uncertainties refer to $\pm 2\sigma M$.

ΔΗοχ 2	ΔH _{ox} 3	ΔΗ2.2	ΔHf°(Na3WO3N)	ΔHf°(Na3WN3)
(kJ/[Na3WO3N +	(kJ/[Na3WN3 +	(k]/[3/2Na2WO4+	(kJ/mol)	(kJ/mol)
5/4WO ₃)	5/4WO ₃)	3/4 WO ₃])		
-199.50	-1136.72	340.03	-1358.8 ± 18.2	-358.7 ± 53.3
-202.42	-1114.48	334.94		
-213.48	-1186.45	349.74		
-207.31	-1228.66	356.91		
-180.00	-1260.77	332.53		
-224.26	-1272.30	345.40		
-214.70	-1269.97	343.3±7.5		
-206.0 ± 10.7	-1276.33			

Figure 1. A cycle showing the free energy changes to consider for the conversion of binary and ternary oxides to nitrides by ammonolysis.

	NH ₃	
Binary Oxides	\rightarrow	Binary Nitrides
	$\Delta G_{\mathbf{B}}$	
$\downarrow \Delta G_f^b(O)$		$\downarrow_{\Delta G_f b(N)}$
• • •	NH ₃	• •
Ternary Oxides	\rightarrow	Ternary Nitrides
	Δ G Ţ	

 ΔGB = free energy of reaction for the ammonolysis of binary oxides. ΔGT = free energy of reaction for the ammonolysis of ternary oxides. ΔGP (O) = free energy of formation of ternary oxides from the binaries. ΔGP (N) = free energy of formation of ternary nitrides from the binaries.